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Abstract

Unsupervised video hashing aims to learn a nonlinear hashing function to map videos into a similarity-preserving hamming space without label supervision. In this paper, we propose *Motion-Aware Graph Reasoning Hashing* (MAGR_H), an end-to-end framework that utilizes the motion information explicitly while keeping inference efficiency. Specifically, we design a dual-branch architecture consisting of a main and an auxiliary branch. The main (auxiliary) branch receives frame-wise (clip-wise) inputs and produces general (motion) hash codes via graph reasoning modules. We develop a combination of intra- and inter-branch objectives to simultaneously learn branch-specific hashing functions as well as transfer motion knowledge from the auxiliary branch to the main branch. In inference, the auxiliary branch is removed. Benefiting from motion guidance, our MAGR_H yields superior performance on FCVID and ActivityNet, even with a small frame rate.

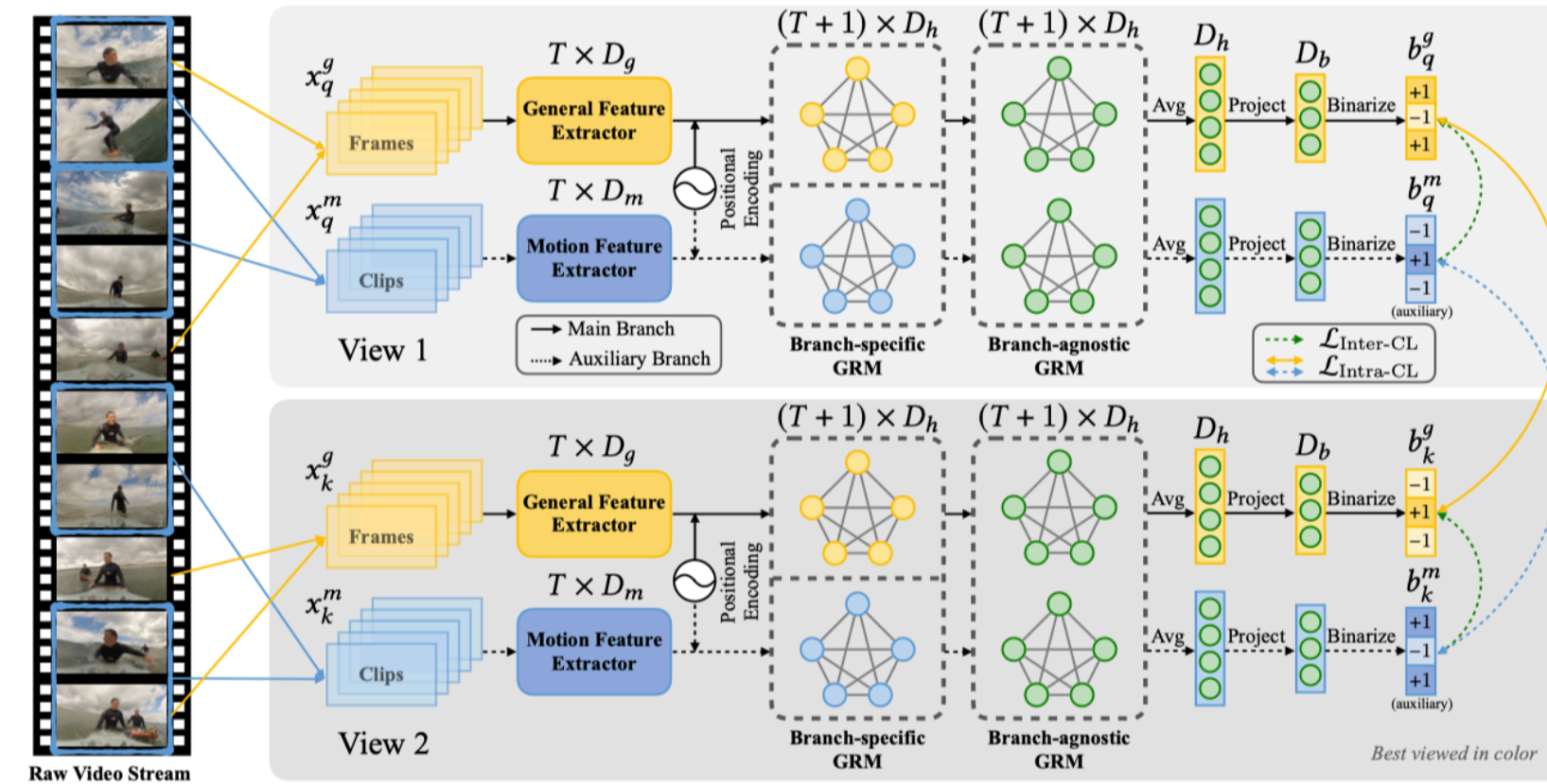


Figure 1: The framework of MAGRH. We first sample two sets of frames and two sets of clips to construct two correlated views. Each view consists of two branches: **(i)** A main branch to encode frame-wise inputs and produce general hash codes. **(ii)** An auxiliary branch to encode clip-wise inputs and produce motion hash codes. We develop two contrastive objectives to learn better representations within each branch and transfer motion knowledge from the auxiliary branch to the main branch. In inference, the auxiliary branch is removed.

Learning Objective

$$\begin{aligned}\mathcal{L}_{\text{CL}}^* &= - \sum_{b_q^*, b_k^* \in \mathcal{B}} \log \frac{\exp(s(b_q^*, b_k^*)/\tau)}{\exp(s(b_q^*, b_k^*)/\tau) + \sum_{b_{k^-}^* \in \mathcal{B} \setminus \{b_q^*, b_k^*\}} \exp(s(b_q^*, b_{k^-}^*)/\tau)} \\ \hat{\mathcal{L}}_{\text{CL}}^* &= - \sum_{b_*^g, b_*^m \in \mathcal{B}} \log \frac{\exp(s(b_*^g, b_*^m)/\hat{\tau})}{\exp(s(b_*^g, b_*^m)/\hat{\tau}) + \sum_{b_{*-}^m \in \mathcal{B} \setminus \{b_*^g, b_*^m\}} \exp(s(b_*^g, b_{*-}^m)/\hat{\tau})} \\ \mathcal{L}_{\text{Intra-CL}} &= \frac{1}{2} (\mathcal{L}_{\text{CL}}^g + \mathcal{L}_{\text{CL}}^m) \quad \mathcal{L}_{\text{Inter-CL}} = \frac{1}{2} (\hat{\mathcal{L}}_{\text{CL}}^q + \hat{\mathcal{L}}_{\text{CL}}^k) \quad \mathcal{L}_{\text{reg}} = \sum_{i \in \{q, k\}} \sum_{j \in \{g, m\}} \|b_i^j - h_i^j\|_2^2 \\ \mathcal{L}_{\text{MAGR}} &= \mathcal{L}_{\text{Intra-CL}} + \gamma \mathcal{L}_{\text{Inter-CL}} + \mathcal{L}_{\text{reg}}\end{aligned}$$

Graph Reasoning and Hash Layers

$$\begin{aligned} \hat{x}^* &= [\phi_{agg}^*; \phi^*(x^*) + z_p + z_m^*] \in \mathbb{R}^{(T+1) \times D_h}, * \in \{g, m\} \\ A &= g_1(\hat{x})^T g_2(\hat{x}), \quad A_{i,j} \rightarrow \frac{A_{i,j}^2}{\sum_{t=1}^{T+1} A_{i,t}^2} \\ \hat{x}_l &= \text{ReLU}(\text{LN}(A\hat{x}_{l-1}W_l)), l \in \{1, \dots, L\} \\ \bar{x}^* &= \frac{1}{T+1} \sum_{i=1}^{T+1} \hat{x}_{L,i}^* \in \mathbb{R}^{D_h}, * \in \{g, m\} \\ h^* &= \Phi^*(\bar{x}^*) \in \mathbb{R}^{D_b}, * \in \{g, m\} \\ b^* &= \text{sgn}(h^*) \in \{-1, 1\}^{D_b}, * \in \{g, m\} \end{aligned}$$

Experiments

We compared the proposed MAGRH with: BTH, NPH, SSVH, SSTH, JTAE, MFH, ITQ, and DH. Our MAGRH outperforms all previous methods under all code lengths by a large margin in terms of MAP@K.

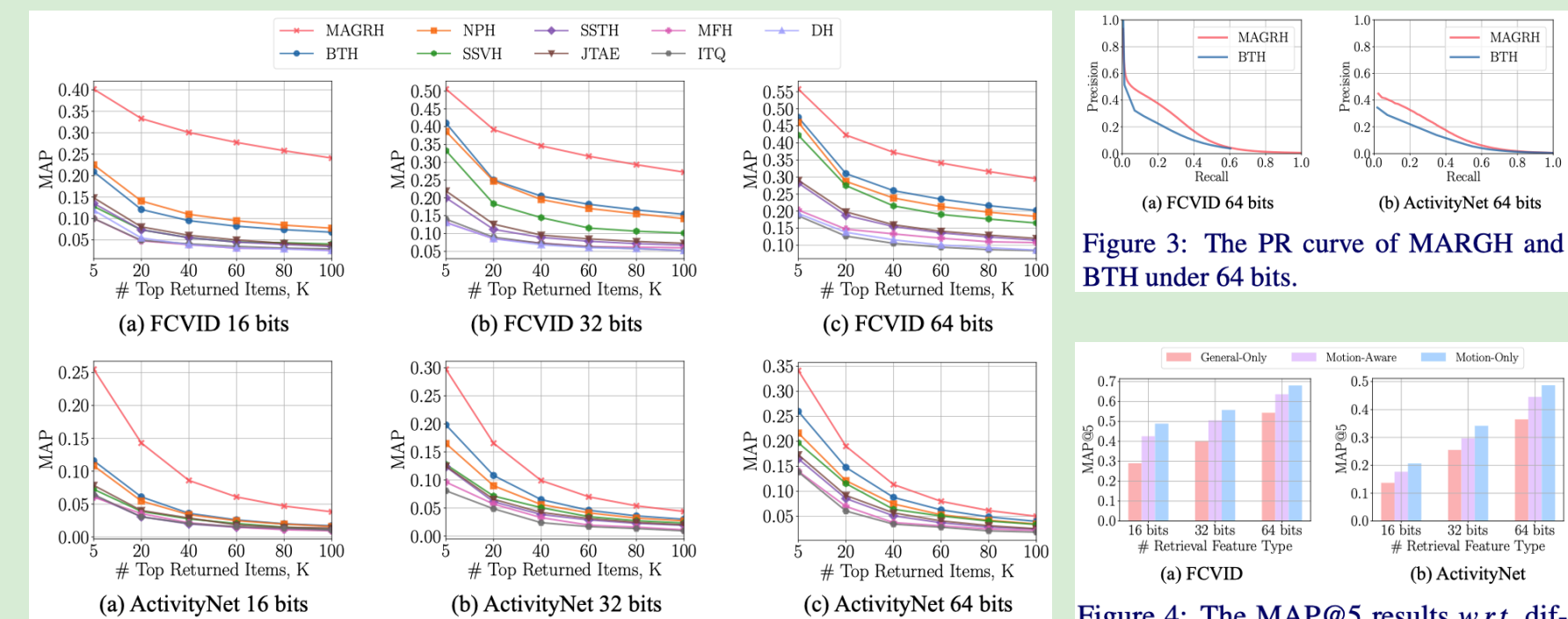


Figure 2: The MAP@K results of different methods under 16, 32, and 64 bits.

Figure 4: The MAP@5 results *w.r.t.* different training protocols.