

Content-Diverse Comparisons improve IQA

Sony Al



William Thong^{1,2*}, Jose Costa Pereira³, Sarah Parisot³ Aleš Leonardis³, Steven McDonagh³



University of Amsterdam¹ Sony Al² Huawei Noah's Ark Lab³

william.thong@sony.com, jose.c.pereira@huawei.com, steven.mcdonagh@huawei.com

Perceptual Image Quality Assessment (IQA)

Pairwise Formation

Ablative studies



| Regularizer | | | LIVE [45] | | | | CSIQ [2 | 1] | TID2013 [<mark>40</mark>] | | |
|--------------|--------------|--------------|-----------|-------|-------|-------|---------|-------|-----------------------------|-------|-------|
| R_r | $R_{ ho}$ | R_{τ} | PLCC | SRCC | KRCC | PLCC | SRCC | KRCC | PLCC | SRCC | KRCC |
| | | | 0.963 | 0.968 | 0.842 | 0.950 | 0.954 | 0.809 | 0.908 | 0.897 | 0.717 |
| \checkmark | | | 0.962 | 0.967 | 0.839 | 0.952 | 0.956 | 0.812 | 0.906 | 0.896 | 0.715 |
| | \checkmark | | 0.960 | 0.966 | 0.835 | 0.953 | 0.957 | 0.815 | 0.910 | 0.901 | 0.723 |
| | | \checkmark | 0.962 | 0.968 | 0.840 | 0.950 | 0.955 | 0.811 | 0.910 | 0.900 | 0.722 |
| \checkmark | \checkmark | | 0.960 | 0.966 | 0.837 | 0.954 | 0.959 | 0.819 | 0.908 | 0.899 | 0.718 |
| | \checkmark | \checkmark | 0.961 | 0.967 | 0.838 | 0.941 | 0.960 | 0.821 | 0.909 | 0.900 | 0.721 |
| \checkmark | | \checkmark | 0.960 | 0.966 | 0.837 | 0.954 | 0.959 | 0.820 | 0.912 | 0.903 | 0.725 |
| \checkmark | \checkmark | \checkmark | 0.964 | 0.969 | 0.843 | 0.957 | 0.960 | 0.824 | 0.915 | 0.907 | 0.731 |

Assign quantitative scores to rank images by their perceptual quality

- Straightforward task for humans; yet effective automation is challenging
- Traditionally done by ranking PSNR or SSIM scores
- Improvements arise by learning a deep network to compare *image* pairs of similar content

Challenge

Content affects quality assessment











- (b) All pairs similar content (a) *Fixed* pairs *similar* content
 - (c) All pairs *differing* content
- Dataset: $\{x^i, x^i_{ref}, y^i\}_{i=1}^M$ with M distorted images x, scalar quality score labels y • Learn function f to predict quality $\hat{y} = f(x, x_{ref})$; *i.e.* "Full-Reference" IQA

Pairwise Training:

- Learning of f typically relies on *pairwise* training: images x^i and x^j with $i \neq j$ • If label $y^i > y^j$, then we desire: $\hat{y}^i = f(x^i, x^i_{ref}) > \hat{y}^j = f(x^j, x^j_{ref})$
- Learn to produce faithful *image rankings c.f.* regressing directly to y

Proposal:

- Consider *all* possible image pairs; allow image content to *differ* within a pair
- Pairwise relaxation: **broader definition** of valid pairwise comparisons • No longer imposes a constraint on the number of comparisons in a mini-batch

• Proposed terms encourage linear properties and rank preservation

Quantitative results

| Mathad | Ι | LIVE [4 | 5] | | CSIQ [2 | 1] | TID2013 [<mark>40</mark>] | | |
|--------------|-------|---------|-------|-------|---------|-------|-----------------------------|-------|-------|
| Method | PLCC | SRCC | KRCC | PLCC | SRCC | KRCC | PLCC | SRCC | KRCC |
| PSNR | 0.865 | 0.873 | 0.680 | 0.819 | 0.810 | 0.601 | 0.677 | 0.687 | 0.496 |
| SSIM [56] | 0.937 | 0.948 | 0.796 | 0.852 | 0.865 | 0.680 | 0.777 | 0.727 | 0.545 |
| MS-SSIM [55] | 0.940 | 0.951 | 0.805 | 0.889 | 0.906 | 0.730 | 0.830 | 0.786 | 0.605 |
| VSI [61] | 0.948 | 0.952 | 0.806 | 0.928 | 0.942 | 0.786 | 0.900 | 0.897 | 0.718 |
| MAD [21] | 0.968 | 0.967 | 0.842 | 0.950 | 0.947 | 0.797 | 0.827 | 0.781 | 0.604 |
| VIF [44] | 0.960 | 0.964 | 0.828 | 0.913 | 0.911 | 0.743 | 0.771 | 0.677 | 0.518 |
| FSIM [60] | 0.961 | 0.965 | 0.836 | 0.919 | 0.931 | 0.769 | 0.877 | 0.851 | 0.667 |
| NLPD [20] | 0.932 | 0.937 | 0.778 | 0.923 | 0.932 | 0.769 | 0.839 | 0.800 | 0.625 |
| GMSD [58] | 0.957 | 0.960 | 0.827 | 0.945 | 0.950 | 0.804 | 0.855 | 0.804 | 0.634 |
| WaDIQaM [6] | 0.940 | 0.947 | 0.791 | 0.901 | 0.909 | 0.732 | 0.834 | 0.831 | 0.631 |
| PieAPP [41] | 0.908 | 0.919 | 0.750 | 0.877 | 0.892 | 0.715 | 0.859 | 0.876 | 0.683 |
| LPIPS $[62]$ | 0.934 | 0.932 | 0.765 | 0.896 | 0.876 | 0.689 | 0.749 | 0.670 | 0.497 |
| DISTS [11] | 0.954 | 0.954 | 0.811 | 0.928 | 0.929 | 0.767 | 0.855 | 0.830 | 0.639 |
| IQT [10] | _ | 0.970 | 0.849 | _ | 0.943 | 0.799 | _ | 0.899 | 0.717 |
| Ours | 0.964 | 0.969 | 0.843 | 0.957 | 0.960 | 0.824 | 0.915 | 0.907 | 0.731 |

*Please see our paper for corresponding references and additional benchmarks.





• Fixing image-pair content restricts diversity and limits model training exposure, in terms of heterogeneity

Contributions

Content-Diverse IQA training

- Relax pairwise constraints to enable comparisons with differing content 2 Derive three differentiable regularizers for listwise comparisons
- at the mini-batch level
- ³Comprehensive evaluation across eight IQA datasets with

• Probabilistic model of $y^i > y^j$ via Bradley-Terry sigmoid and cross-entropy: $\mathcal{L}_{c} = \mathbb{1}[y^{i} > y^{j}] \cdot \log(p(y^{i} > y^{j})) + \mathbb{1}[y^{i} < y^{j}] \cdot \log(1 - p(y^{i} > y^{j}))$

Listwise comparisons and Correlation Coefficients





Downstream tasks



- Image quality metrics for $\times 4$ super-resolution
- Training objectives for ESRGAN [53] • We reduce subtle over-sharpening artifacts present in other methods

Takeaways

state-of-the-art performance

Benefits

• Emulate wide latent factors under consideration during human IQA • Applicable to any model architecture without structural changes

• Improvements to downstream reconstruction tasks (with IQA as a training objective)

* Work done during an internship at Huawei Noah's Ark Lab

Observation:

• Pairwise comparisons provide only two distorted images; limit training visibility

Proposal:

- $\hat{Y} = {\hat{y}^1, \dots, \hat{y}^L}$ predicted scores with Y related GT scores for set of L images
- Listwise comparisons via differentiable correlation coefficients
- Pearson coefficient R_r encourages linearity: $r(Y, \hat{Y}) = \operatorname{cov}(Y, \hat{Y}) / \sigma_Y \sigma_{\hat{Y}}$
- Spearman R_{ρ} , linearity of ranks: $\rho(Y, \hat{Y}) = \rho(\operatorname{rank}_{Y}, \operatorname{rank}_{\hat{Y}})$
- Kendall R_{τ} , ordinal ranking: $\tau(Y, \hat{Y}) = \frac{2}{L(L-1)} \sum_{i < j} \operatorname{sgn}(Y^i - Y^j) \operatorname{sgn}(\hat{Y}^i - \hat{Y}^j)$
 - rank and sgn are approximated with temperature-based sigmoid and tanh

• Regularizers are derived, final loss function becomes: $\mathcal{L} = \mathcal{L}_c + \lambda (R_r + R_\rho + R_\tau)$

• Image content matters in image quality assessment • Formulate through diverse pairwise and listwise comparisons

Links **Contact:** william.thong@sony.com steven.mcdonagh@huawei.com Paper: Code: